

Probabilistic Prediction of Rupture Length, Slip and Seismic Ground Motions for an Ongoing Rupture

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EEW Bad News

- Near source area for M 6.5 is has a diameter of about 30 km
- Even with perfect technology, warning times will be, at most, several seconds
- There will be ten M 6.5' s for the occurrence of every M 7.5

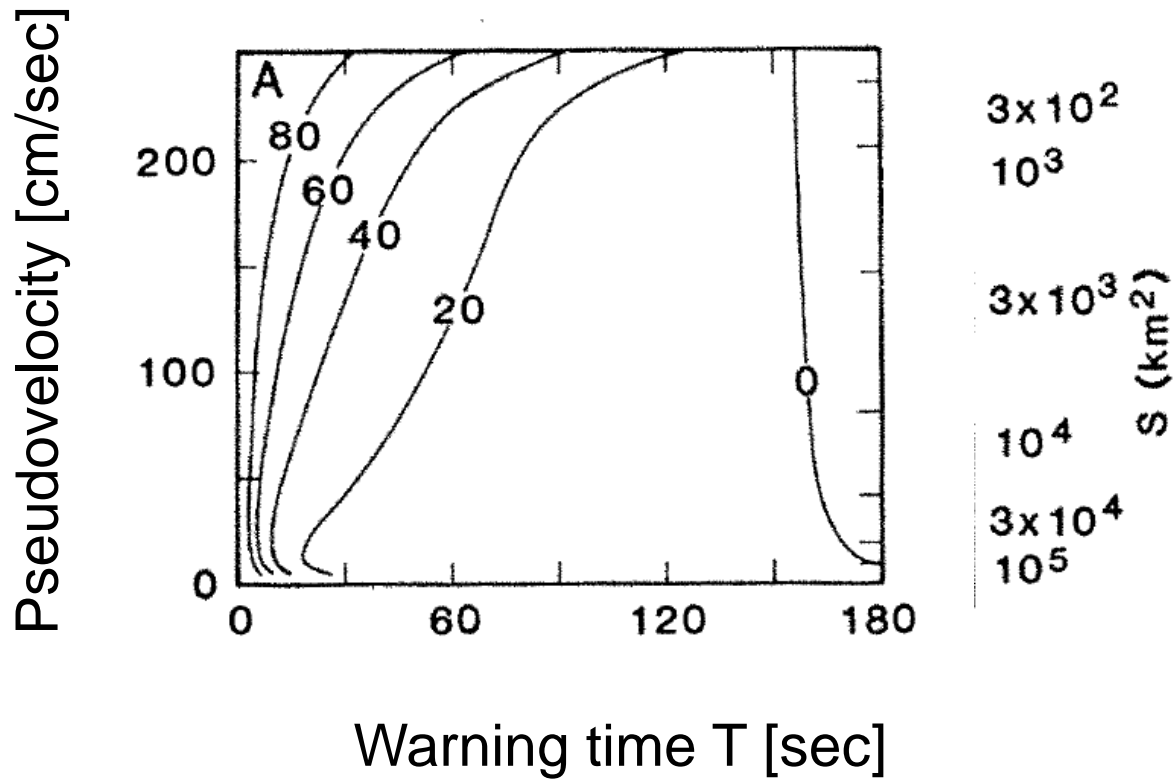
EEW Good News

- Near source area of a M 7.5 + earthquake will be 5 to 20 times larger than for a M 6.5
- Many heavily shaken areas can get significant warning times in a M 7.5 +

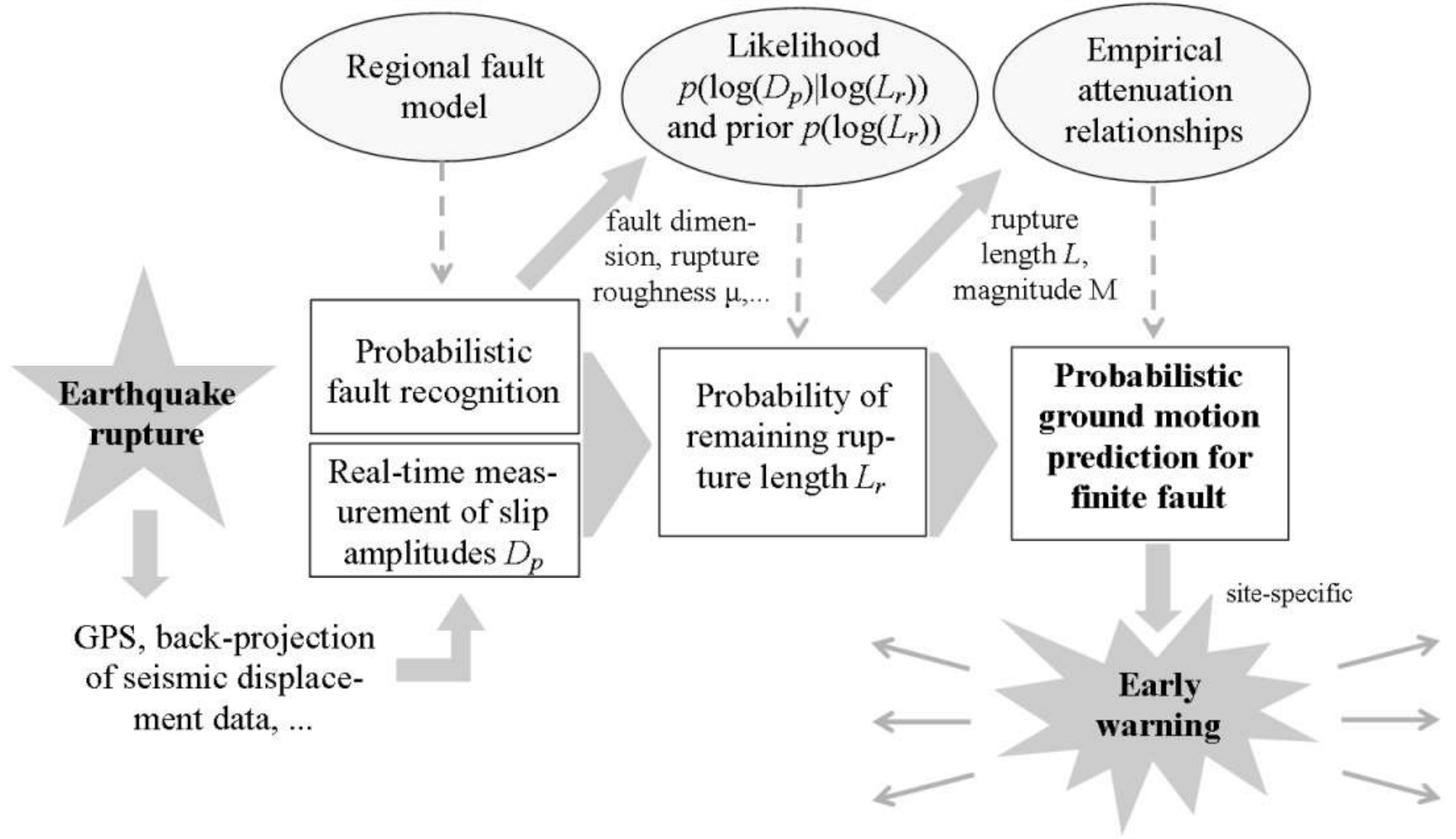
EEW for a Long Rupture

- Should warn some areas that rupture is headed towards them and strong shaking is possible
- Real-time analysis of a finite rupture is challenging
- Few events to practice on
- If we fail on a large event it may be the only chance in a generation

**Percent of area receiving
warning time T or greater** ($\log N^* = 6.89 - M_w$)



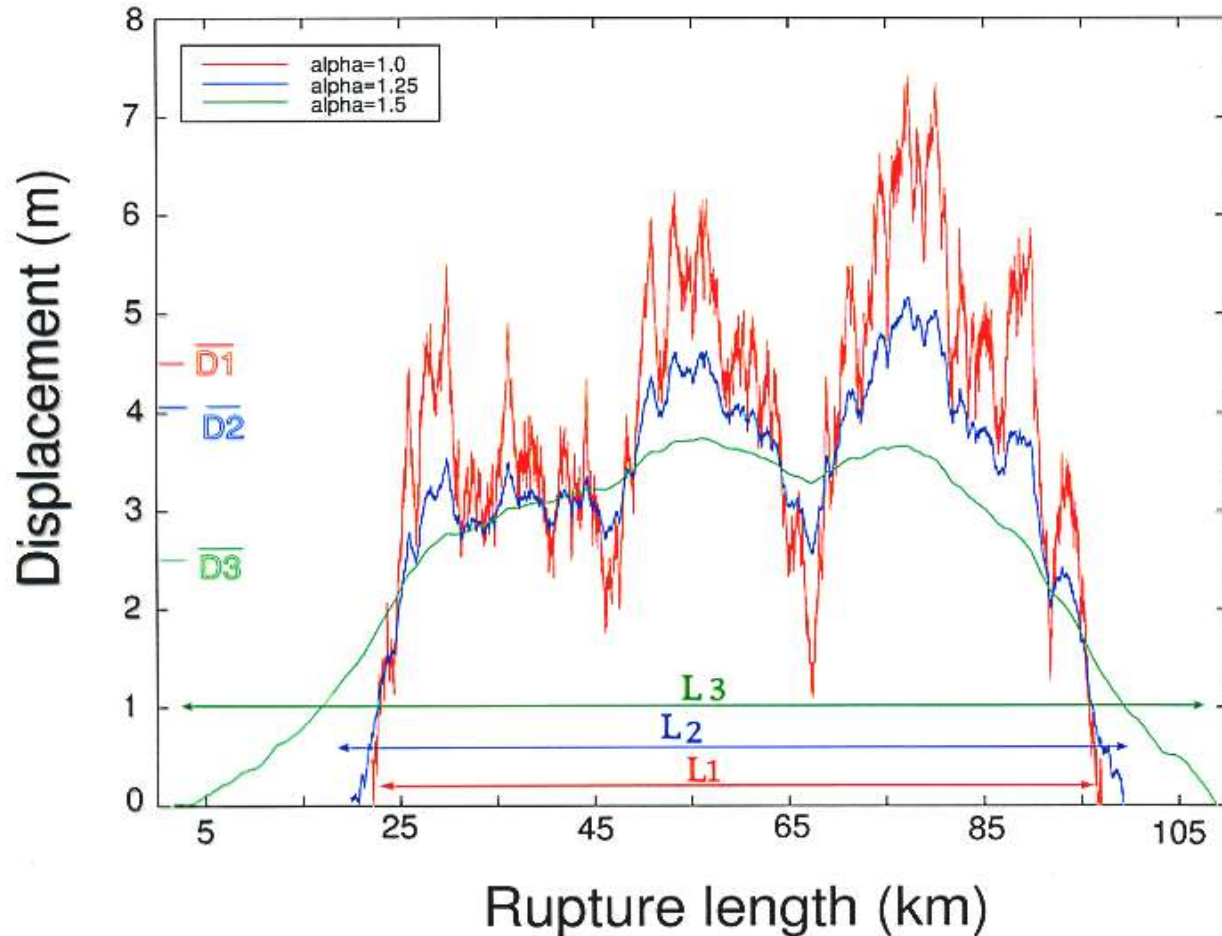
Heaton, 1985



Example of the Shake-Out Scenario

- So easy to know what happens next because we created it
- Let's assume that at any point in time that we know 1) the causative fault, 2) the current rupture length, and 3) the current slip of an ongoing rupture (GPS?)
- What is the likelihood of different rupture lengths and magnitudes?

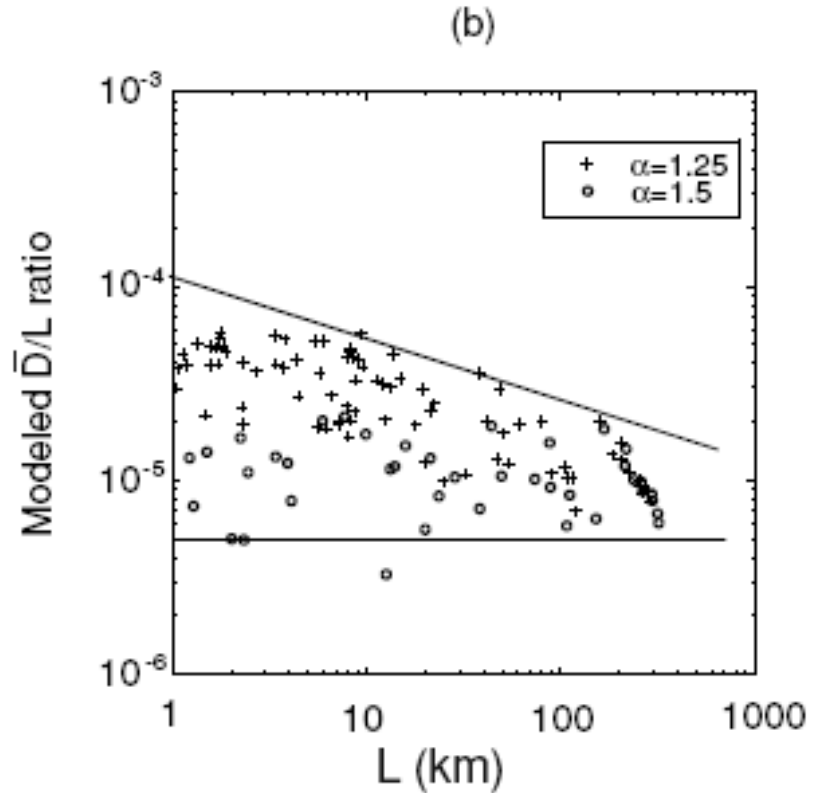
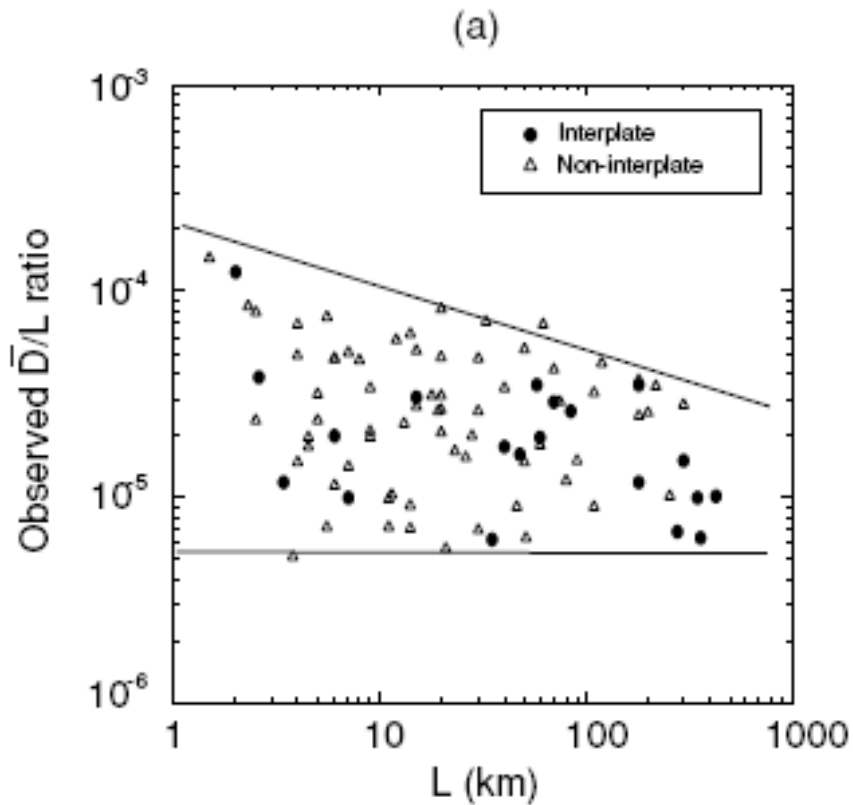
Given equal surface areas, islands with rougher topography have higher average elevations



$$\tilde{D}(k) \propto k^{-\alpha}, \text{ where } k \equiv \text{wavenumber}$$

From J. Liu and T. Heaton

Observed vs. Simulated slip/length



Liu-Zheng and Heaton

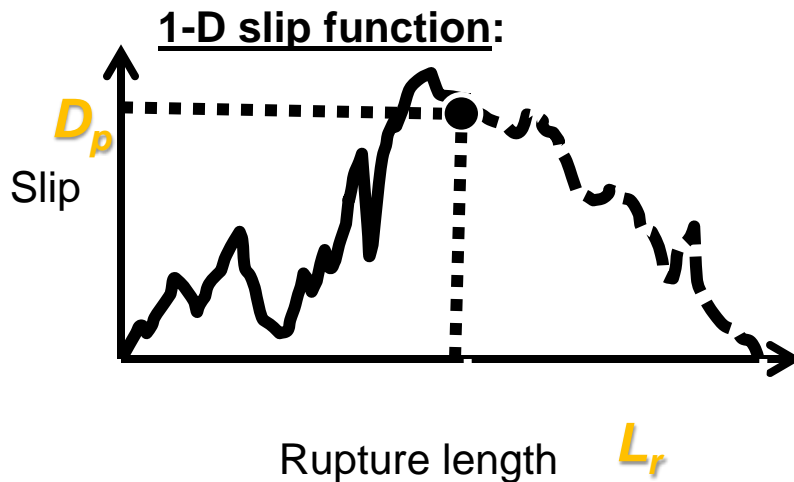
Early Warning for Large Earthquakes (Research)

Large earthquakes ($M > 7.0$) are rare, but they affect **much larger areas** with damaging ground shaking and provide **longer warning times!**

A probabilistic approach (Bayesian):

$$p(\log(L_r) | \log(D_p)) = \frac{p(\log(D_p) | \log(L_r)) p(\log(L_r))}{p(\log(D_p))}$$

“Probability of L_r for a given D_p ”



D_p : present slip amplitude

L_r : remaining rupture length

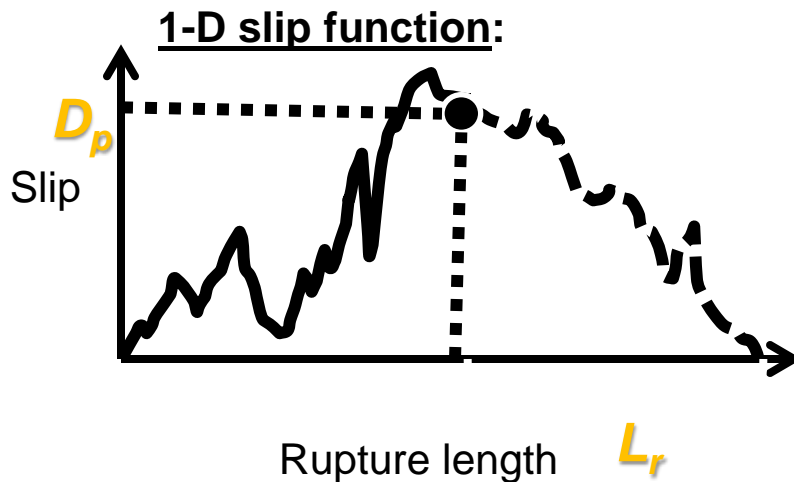
**How far will
the rupture propagate ?**

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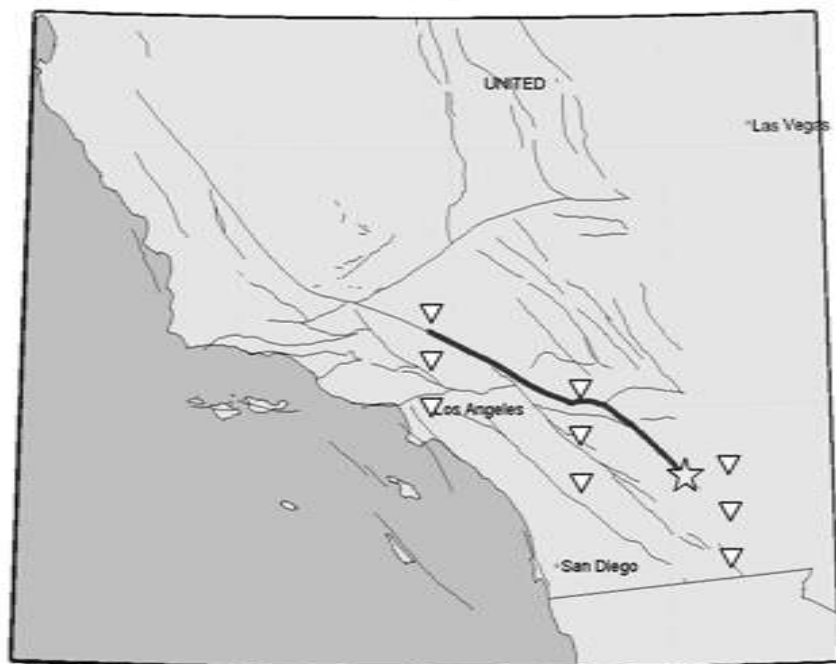
RESULT:

- The ***a priori* probability (AP)** for the occurrence of earthquakes of different magnitudes is extremely important.
- The AP depends on the **characteristics of the underlying fault** (slip heterogeneity on generic/mature faults)

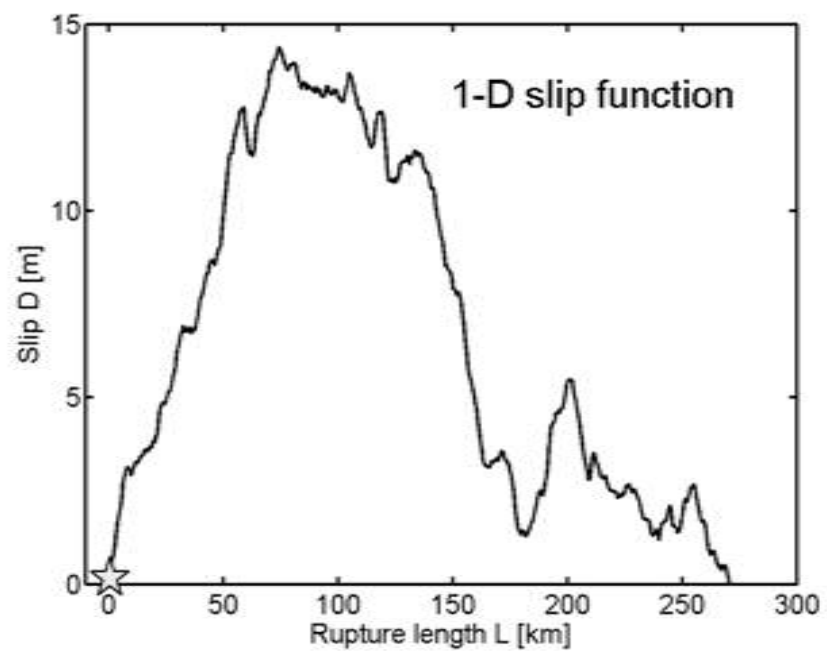
EEW for large earthquakes requires a rapid recognition of the rupturing fault !

→ Presentation by Tom Heaton

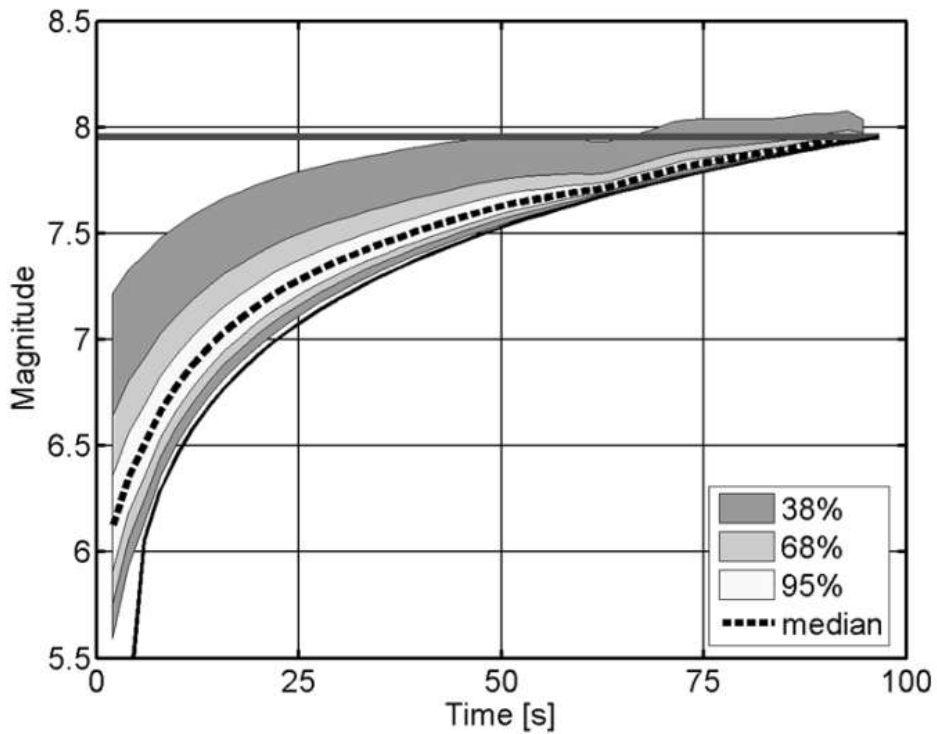
(a)



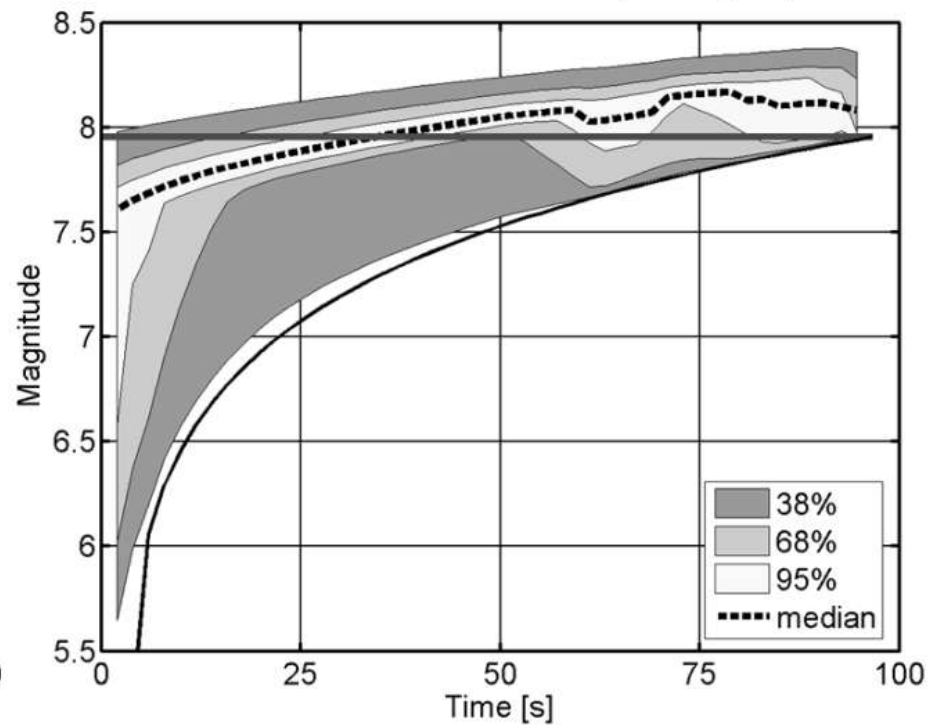
(b)



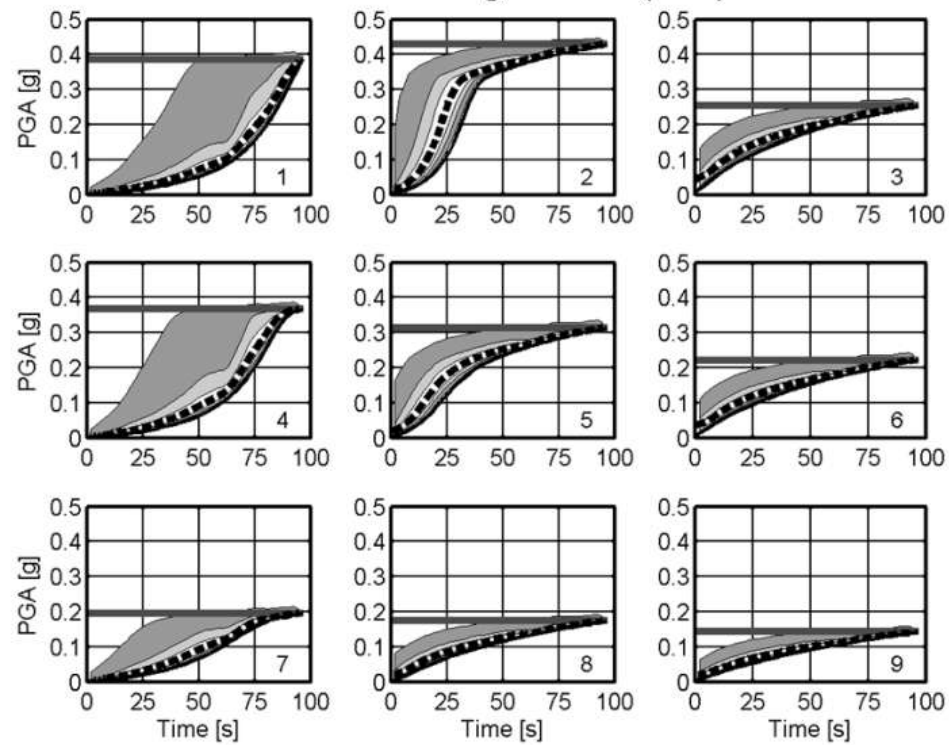
Gutenberg-Richter (G-R)



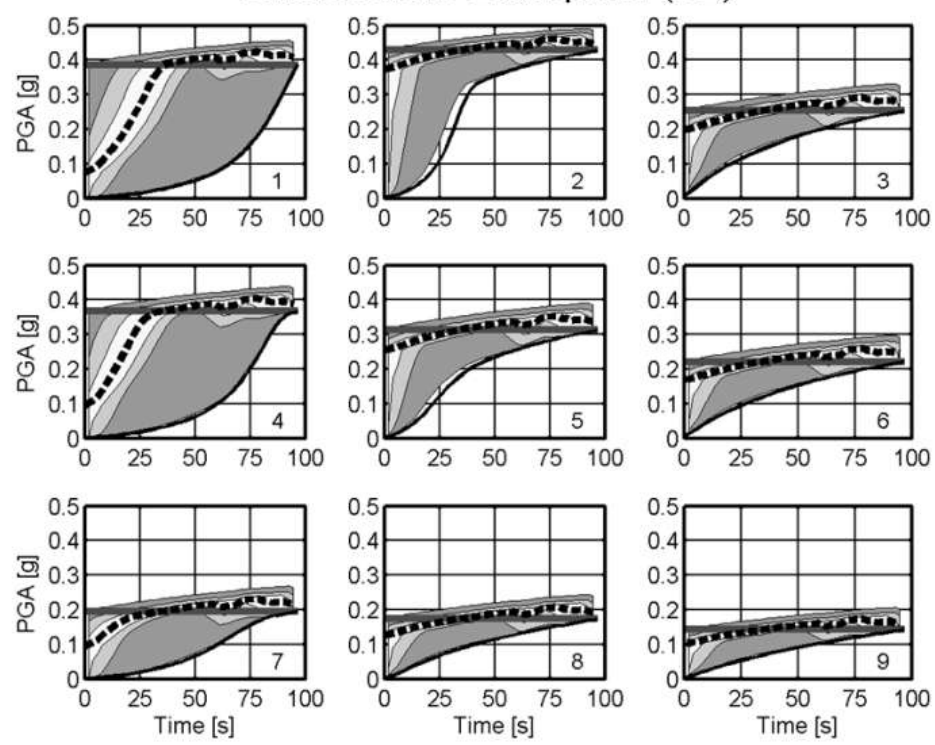
Characteristic Earthquake (CE)



Gutenberg-Richter (G-R)



Characteristic Earthquake (CE)



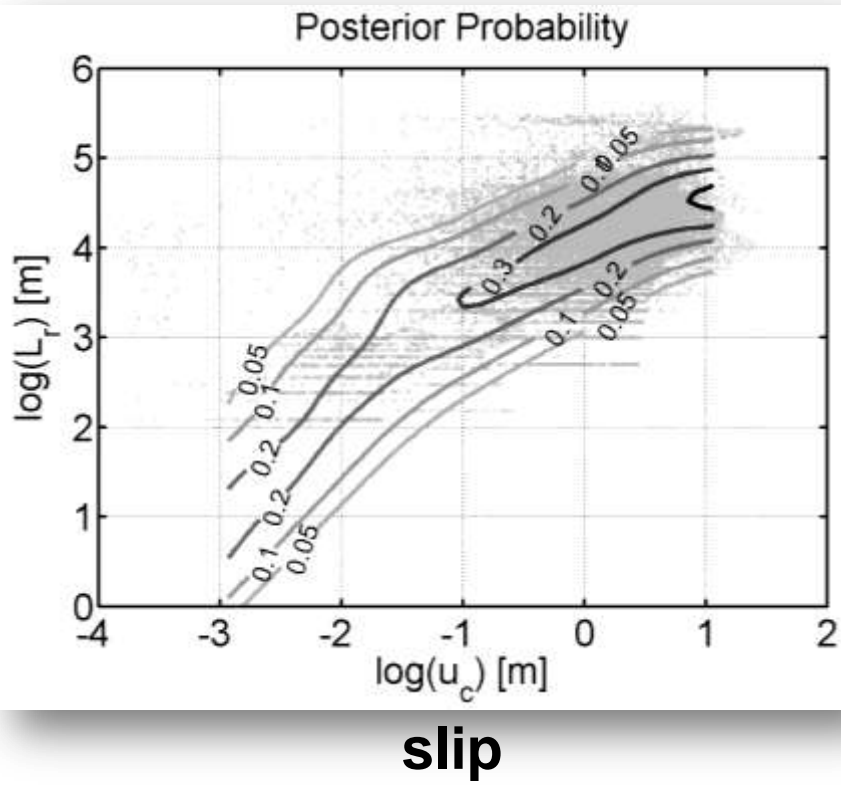
Conclusions

- Bayesian statistical framework allows integration of many types of information to produce most probable solution and error estimates
- Strategies to determine rupture dimension and slip look promising ...GPS
- Identification of rupture on several key faults (e.g. San Andreas) may be a high priority

Real-time prediction of ultimate rupture

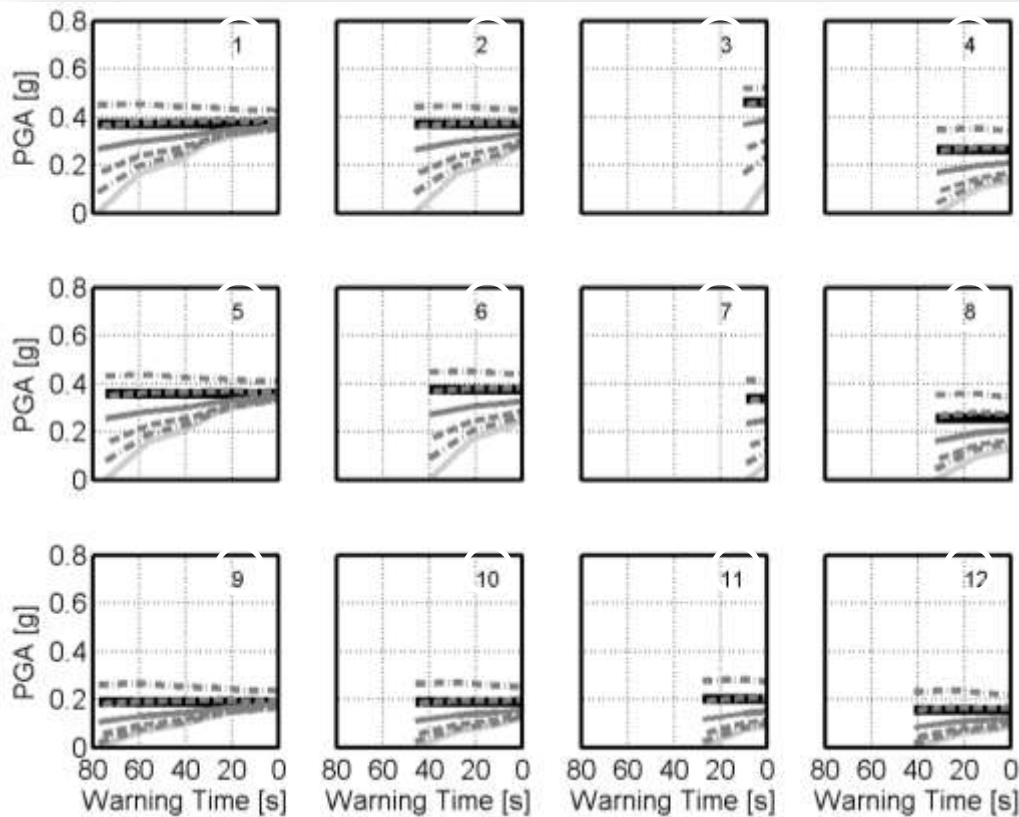
Böse and Heaton, in prep.

Remaining Rupture Length



Is the rupture on the San Andreas fault?

Probabilistic Rupture Prediction → Probabilistic Ground



Böse and Heaton, in prep.

Strategy to Handle Long Ruptures

- Determine the rupture dimension by using high-frequencies to recognize which stations are near source
- Determine the approximate slip (and therefore instantaneous magnitude) by using low-frequencies and evolving knowledge of rupture dimension
- GPS